Honors Statistics 8.2

Use the traditional method for #1 and #2. (4 steps)

1. In a survey of 1150 adult males, 805 said they use the Internet. In a survey of 1050 females, 746 said they use the Internet. At α = 0.10, test the claim the proportions of Internet users are the same for both groups.

2. A USA today article stated "In a trial involving 1602 children only 14 of the 1070 who received the vaccine developed the flu, compared with 95 of the 532 who got a placebo." The article also referred to a study claiming that the experimental nasal spray "cuts children's chances of getting the flu." At alpha = 0.05, Is there sufficient sample evidence to support the stated claim?

Use the P-value method for #3 and #4. (4 steps)

3. In a random survey of 1500 adults in California and 1000 adults in Oregon, the percentage of smokers are 15.2% and 18.5%, respectively. At α = 0.01, test the claim that the proportion of adults who are smokers is lower in California than in Oregon.

4. In a 1991 study of 1539 adults, 520 said they had used alternative medicines in the previous year. In a more recent study of 2055 adults, 865 said they had used alternative medicines in the previous year. At α = 0.01, test the claim that more adults are now using alternative medicines.

Confidence Interval for #5 and #6. (2 steps)

5. Several years ago, a survey of 977,000 students taking the SAT revealed that 11.7% of the students were planning to study engineering. In a recent survey of 1,085,000 students taking the SAT, 8.5% of the students were planning to study engineering. Construct a 95% confidence interval for the difference in the proportions. Is there a significant difference?

6. A state by state survey found that the proportions of adults who smoke in Alabama and Missouri were 24.4% and 26.6%, respectively. In each state, 2000 adults were interviewed. Construct a 90% confidence interval for the difference of the proportion of adults who smoke in Alabama and Missouri. Is there s significant difference?

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Honors Statistics Review 8.2 - Answers

1)	2-tail	CV: z = +/- 1.645	z = -0.538	Fail to reject null
2)	Left tail	CV: z = -2.327	z = -12.388	Reject null
3)	Left tail	z = -2.177	p-value 0.0148	Fail to reject null
4)	Right tail	z = -5.062	p-value .000000208	Reject null

5. (0.03117, .03283); there is a significant difference

6. (-0.0447, .00066); not a significant difference